

# Bodyguards Under Cover: The Status of Individual Concepts

Magdalena Schwager (Frankfurt University)  
magdalena@schwager.at

*SALT XVII, UConn, May 10-13, 2007*

---

## Introduction

- capture the semantics of subject intensional verbs like *change* and *rise*, intuitively true of functions from world/time to values (= individuals) - true of individual concepts
  - Where do these individual concepts come from?
- Montague (1974): individual concepts come from the lexicon: common nouns have  $\langle\langle s, e \rangle, t\rangle$ -extensions (solves the temperature paradox)
- Lasersohn (2005): derives individual concepts during semantic composition (as intensions of Fregean definite descriptions); extensions of common nouns are  $\langle e, t \rangle$
- problem for Lasersohn (2005): hinges on uniqueness on two levels (i) the temperature of only one location is relevant (fails for quantificational examples)
  - (ii) functionality (e.g. *temperature*, *father*): if intensional verbs like *change*, *rise* combine with properly relational nouns (e.g. *critical value*, *bodyguard*, *brother*): where do the individual concepts come from?
- switch perspective: quantification under cover takes into account how we individuate individuals - brings in individual concepts (pragmatics)

## 1 Individual Concepts from the Lexicon

### 1.1 Functions and Values: *The Temperature Paradox*

- the classic (Barbara Partee):
  - (1) a. The temperature is rising.  
b. The temperature is ninety.  
 $\neq$

- c. Ninety is rising.

variation from Löbner (1981):

- (2) a. Right now, the temperature of the air in my refrigerator is the same as the temperature of the air in your refrigerator.
- b. The temperature of the air in my refrigerator is rising.
- ~~≠~~
- c. The temperature of the air in your refrigerator is rising.

- independence of numbers, maths and physics (Löbner 1981; Janssen 1984)

- (3) a. The mayor of Frankfurt is Petra Roth.
- b. The mayor might change on Sunday.
- ~~≠~~
- c. Petra Roth might change on Sunday.

for the rest of the talk: ignore the **partial change**-reading (= a particular individual changes with respect to some property)

- function/value; role/occupant; . . .

## 1.2 Montague's (1974) solution in PTQ

- (translated to a version of Ty2)
- at an index  $(w, t)$ , nouns cannot just denote sets of individuals  $(\langle e, t \rangle)$ , they denote sets of individual concepts (= functions from indices to individuals); type  $\langle \langle s, e \rangle, t \rangle$
- the model contains an abstract degree individual “90-degrees-Fahrenheit”, picked out by the type  $e$ -constant **90F** at each index (in IL, a meaning postulate ensures that its intension is constant)

*ninety*  $\mapsto$  the set of properties this 90-degrees-Fahrenheit-individual has:  
 $\lambda P.P_{(w,t)}(\lambda(w, t).90F)$

- *the* as Russellian quantifier, *be* as extensional identity:

- (4) a. **the**  $\equiv \lambda P_{\langle \langle s, e \rangle, t \rangle} \lambda Q_{\langle \langle s, e \rangle, t \rangle} . \exists x [\forall y [P(y) \leftrightarrow y = x] \wedge Q(x)]$
- b. **be**  $\equiv \lambda \mathcal{P}_{\langle s, \langle s, \langle \langle s, e \rangle, t \rangle \rangle \rangle} \lambda x_{\langle s, e \rangle} . \mathcal{P}_{(w,t)}(\lambda(w, t) \lambda y . x(w, t) = y(w, t))$

- PTQ-translation of the temperature paradox:

- (5)  $\exists x [\forall y [\text{temperature}_{(w,t)}(y) \leftrightarrow x = y] \wedge \text{rise}_{(w,t)}(x)]$

$$(6) \quad \exists x[\forall y[\text{temperature}(y) \leftrightarrow x = y] \wedge x((w, t)) = \mathbf{90F}]$$

$$(7) \quad \text{rise}_{(w,t)}(\lambda(w, t).\mathbf{90F})$$

- the temperature at the index of evaluation is 90 F (32C); *rise* is true of the unique individual concept that describes the salient temperature at the index of evaluation; but: rising cannot be a property of the individual picked out by the constant **90F** (nor of the corresponding individual concept  $\lambda(w, t).\mathbf{90F}$ )

### 1.3 The Temperature Price Puzzle

- Anil Gupta; discussed by Dowty, Wall, and Peters (1981)
- related type of inference (think of *the Starbucks policy*: energy costs are rising, so if you want your coffee hotter...):

- (8)
  - a. Necessarily, the temperature is the price.
  - b. The temperature is rising.  
*intuitively*:  $\Rightarrow$ ; *prediction Montague*:  $\not\Rightarrow$
  - c. The price is rising.

remark: Romero (2006a) points out that many (natural) examples lack the habitual (“at all times”) component Montague attributes to *necessarily*; she can avoid many (but not all) counterintuitive predictions already by taking serious habitual quantification

- a variation of the original along the lines of Löbner (1981):

- (9)
  - a. At all worlds and times, the temperature of the air in my refrigerator is the same as the temperature of the air in your refrigerator.
  - b. The temperature of the air in my refrigerator is rising.  
*intuitively*:  $\Rightarrow$ ; *prediction Montague*:  $\not\Rightarrow$
  - c. The temperature of the air in your refrigerator is rising.

- prediction: not valid.

$$(10) \quad \square \exists x[\forall y[\text{temperature-in-my-refrigerator}(w, t)(y) \leftrightarrow x = y] \wedge \exists z[\forall y[\text{temperature-in-your-refrigerator}_{(w,t)}(y) \leftrightarrow z = y] \wedge x(w, t) = z(w, t)]]$$

$$(11) \quad \exists x[\forall y[\text{temperature-in-my-refrigerator}_{(w,t)}(y) \leftrightarrow x = y] \wedge \text{rise}_{(w,t)}(x)]$$

$$(12) \quad \exists x[\forall y[\text{temperature-in-your-refrigerator}_{(w,t)}(y) \leftrightarrow x = y] \wedge \text{rise}_{(w,t)}(x)]$$

- Montague's semantics for  $\Box$ :

$$(13) \quad \llbracket \Box_{(w,t)} \lambda(w,t). \phi \rrbracket = 1 \text{ iff } \llbracket \lambda(w,t). \phi \rrbracket(w,t) = 1 \text{ for all } w \in W \text{ and } t \in T.$$

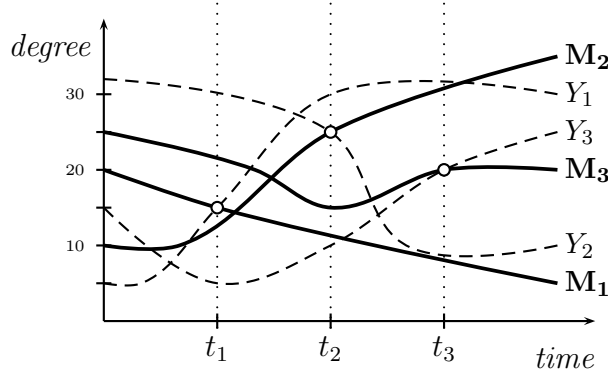
semantics for *rise*:

$$(14) \quad \llbracket \text{rise} \rrbracket(w,t)(f_{(s,e)}) = 1 \text{ iff for all } t', t'' \text{ in a contextually given interval } T \text{ that includes } t: \text{ if } t' < t'', \text{ then } f(w)(t') < f(w)(t'').$$

- consider a model M with one world  $w$  and three temporal instants  $t_1, t_2, t_3$ :

$$(15) \quad \begin{aligned} \text{a. } & \llbracket \text{temp-in-my-ref}' \rrbracket((w,t)) = \{M_1\}, \llbracket \text{temp-in-my-ref}' \rrbracket((w,t_2)) \\ & = \{M_2\}, \dots, \llbracket \text{temp-in-your-ref}' \rrbracket((w,t_1)) = \{Y_3\} \\ \text{b. } & M_1 = \{\langle (w,t_1), 15 \rangle, \langle (w,t_2), 12 \rangle, \langle (w,t_3), 8 \rangle\}, \\ & M_2 = \{\langle (w,t_1), 12.5 \rangle, \langle (w,t_2), 25 \rangle, \langle (w,t_3), 30 \rangle\}, \dots \end{aligned}$$

- (16) graphically:



#### 1.4 Locating the Problem: $\langle s, \langle \langle s, e \rangle, t \rangle \rangle$

- the double index dependence of *temperature*:
  - at a fixed index, it denotes a set functions that assign individuals (degrees) to indices (individual concepts) - inner index dependence (IID)
  - it can denote different such sets at different indices - outer index dependence (OID)

- various ways out:
  1. **meaning postulate** (= give up *outer index dependence*)
  2. intensions of **Fregean definite descriptions** (Lasersohn 2005) (= give up *inner index dependence*)
  3. **conceptual covers**: *outer index dependence* = semantics, *inner index dependence* = pragmatics
  4. intensional identity (stronger version of *be*)
  5. habitual vs. punctual identity + meaning postulate only across OID within one world (Romero 2006a)
  6. type shift value to function time-value (cf. Schwager 2006)

## 1.5 Montague's Forgotten Meaning Postulate

- do away with/constrain outer index dependence
- cf. Dowty, Wall, and Peters (1981); spelt out as (17) by Lasersohn (2005):

$$(17) \quad \forall x \forall (w, t) [\alpha_{(w,t)}(x) \rightarrow \forall (w, t) \alpha_{(w,t)}(x)],$$

where  $\alpha$  = **temperature** or **price**

- That works for the temperature-price puzzle/my & your refrigerator.
- problem: should be refined to take into account the implicit argument if more than one temperature is under consideration (e.g. *the temperature of the milk* and *the temperature of the tea*) it is not enough to say “*once a temperature - always a temperature*”; this still allows for the *tea & milk-confusion*:

- (18)
- a. Necessarily, the temperature of the tea, not of the milk, is the price of the tea!
  - b. The temperature of the tea is rising.  
*intuitively*:  $\Rightarrow$ ; *prediction Montague+MP(17)*:  $\nRightarrow$
  - c. The price of the tea is rising.

(does not follow at an index  $\langle w, t \rangle$  where the *temperature of the tea* is the individual concept which is normally the *temperature of the milk* and happens to be extensionally equivalent to it at  $\langle w, t \rangle$ )

- Zimmermann (1999) for a critical view on Meaning Postulates.

## 2 Lasersohn: Deriving Individual Concepts

- Fregean definite descriptions are type  $e \Rightarrow$  their intensions are  $\langle s, e \rangle$  (individual concepts!)
- ad *outer index dependence* (OID): objects that fall under the denotation of common nouns should be allowed to vary from index to index (*keep!*)
- ad *inner index dependence* (IID): forced by the Montagovian treatment of the definite article as a Russellian definite description (*give up!*)

$$(19) \quad \mathbf{the} \equiv \lambda P_{\langle \langle s, e \rangle, t \rangle} \lambda Q_{\langle \langle s, e \rangle, t \rangle} . \exists x [\forall y [P(y) \leftrightarrow y = x] \wedge Q(x)]$$

(*rise* requires an intensional argument, so, the first argument of the quantifier has to be of that type, too)

- start out from *temperature* as “actual temperature values” - use the intension of (*the unique*) *temperature (value)* when you need the function
- proposal Lasersohn:

– Fregean (presuppositional) *the*:

$$(20) \quad \mathbf{the} \equiv \lambda P_{\langle s, \langle e, t \rangle \rangle} \lambda Q_{\langle \langle s, e \rangle, t \rangle} . Q(\lambda(w, t) . \iota u [P_{(w, t)}(u)])$$

$$(21) \quad \llbracket \iota u \phi \rrbracket^g(w, t) \text{ is the unique object } d \\ \text{such that } \llbracket \phi \rrbracket^{g[u/d]}(w, t) = 1 \\ \text{if such an object } d \text{ exists; undefined otherwise.}$$

– **temperature** is a constant of type  $\langle s, \langle e, t \rangle \rangle$

– untouched: **rise**, constant of type  $\langle \langle s, e \rangle, t \rangle$

Consequently,  $\lambda w . \iota u [\mathbf{temperature}_{(w, t)}(u)]$  denotes always the same function that picks out the temperature at each index.

– Lasersohn’s translation for the temperature-paradox:

$$(22) \quad \begin{array}{l} \text{a. } \mathbf{rise}_{(w, t)}(\lambda(w, t) . \iota u [\mathbf{temperature}_{(w, t)}(u)]) \\ \text{b. } \iota u [\mathbf{temperature}_{(w, t)}(u)] = \mathbf{90F} \\ \text{c. } \mathbf{rise}_{(w, t)}(\lambda(w, t) . \mathbf{90F}) \end{array}$$

– Lasersohn’s translation for the temperature-price puzzle (my/your refrigerator):

$$(23) \quad \begin{array}{l} \text{a. } \Box_{(w, t)} (\lambda w t . \iota u [\mathbf{temp-in-my-ref}_{(w, t)}(u)] = \iota u [\mathbf{temp-in-your-ref}_{(w, t)}(u)]) \\ \text{b. } \mathbf{rise}(\lambda(w, t) . \iota u [\mathbf{temp-in-my-ref}_{(w, t)}(u)]) \end{array}$$

$$c. \quad \text{rise}_{\langle w, t \rangle}(\lambda(w, t).iu[\text{temp-in-your-ref}_{\langle w, t \rangle}(u)])$$

- Summing up:
  - solves temperature-paradox and temperature-price puzzle
  - does so by removing the unintuitive multiplicity of temperature functions at different indices
  - simplifies types

## 2.1 When Uniqueness Fails

### 2.1.1 Other (True) Quantifiers

- Lasersohn: only motivation for Montagovian type assignment of *temperature*: Russellian definite description - other quantifiers?
- *temperature*: inherently functional (semantic definiteness, cf. Löbner 1985) *temperature* as *temperature at the salient location* - singleton set, not an appropriate restrictor for generalized quantifiers
- scenario: weather station where different cities are monitored for their respective temperatures:

- (24)
- a. Three temperatures are rising.
  - b. Many temperatures are rising.
  - c. All temperatures are rising.
  - d. A few temperatures are rising.
  - e. No temperature is rising.
  - f. Every temperature is rising.

- Romero (2006a): we need  $\langle\langle s, e \rangle, t\rangle$ -extensions for nouns after all
- take (24f): getting rid of uniform type assignment by fiddling around with *every*?

$$(25) \quad \lambda P_{\langle\langle s, e \rangle, t\rangle} \lambda Q_{\langle\langle s, e \rangle, t\rangle} \forall x [P(x) \rightarrow Q(x)]$$

$$(26) \quad \lambda P_{\langle e, t \rangle} \lambda Q_{\langle\langle s, e \rangle, t\rangle} \forall u_{\underline{e}} [P(u) \rightarrow Q(\lambda(w, t).u)]$$

failure:  $\lambda(w, t).u$  is constant for  $u$  of type  $e$

$$(27) \quad \lambda P_{\langle e, t \rangle} \lambda Q_{\langle\langle s, e \rangle, t\rangle} \forall x_{\underline{\langle s, e \rangle}} [P(x(w, t)) \rightarrow Q(x)]$$

failure: if individual  $90F$  occurs as a temperature at an index  $\langle w, t \rangle$ , any function  $f$  that has it as a value at  $\langle w, t \rangle$  would have to be rising

consider temperature of Frankfurt  $f$ , and  $t$ -mirror temperature of Frankfurt  $f_{m,t}$ :

$$(28) \quad \text{for any world } w: f_{m,t}(w, t) = f(w, t), \text{ and for any amount of time } n, f_{m,t}(w, t + n) = f(w, t - n)$$

then, at any index either the temperature in Frankfurt  $f$  is falling, or  $f_{m,t}$  is falling, or both are constant

- **reconsider *temperature*** - means: *of something/at a location*  
 $\Rightarrow$  treat it as a relational or functional noun
- try: extend Lasersohn (2005) via quantification over implicit arguments

### 2.1.2 Extending Lasersohn: Quantification over Implicit Arguments

- quantification over implicit arguments (cf. Partee 1989; Cresswell 1996; Condoravdi and Gawron 1996; Asudeh 2005)

$$(29) \quad \text{Every farmer knows a neighbour.} \\
(\text{preferred: } \textit{Every farmer knows a neighbour of } \underline{\textit{his}}.)$$

- extend Lasersohn's treatment to the quantified examples in (24) by quantifying over the implicit argument

$$(30) \quad \textit{all objects are such that their temperature is rising}$$

- translate *temperature* as relational noun constant **temperature** of type  $\langle s, \langle e, \langle e, t \rangle \rangle \rangle$
- first argument has to be saturated (e.g. by combining with a context dependent variable in the syntax) before combining with the definite article
- *every*, *most*, ... are ambiguous; alternative translations:

$$(31) \quad \textit{every}_2 \text{ translates into} \\
\lambda P_{\langle s, \langle e, \langle e, t \rangle \rangle \rangle} \lambda Q_{\langle \langle \langle s, e \rangle, t \rangle \rangle} \cdot \forall u [C(u) \rightarrow Q(\lambda(w, t) \cdot \iota v [P_{\langle w, t \rangle}(u)(v)])]$$

$$(32) \quad \textit{most}_2 \text{ translates into} \\
\lambda P_{\langle s, \langle e, \langle e, t \rangle \rangle \rangle} \lambda Q_{\langle \langle \langle s, e \rangle, t \rangle \rangle} \cdot \text{most}(\lambda u \cdot C(u)) (\lambda u \cdot Q(\lambda(w, t) \cdot \iota v [P_{\langle w, t \rangle}(u)(v)]))$$



- (33) Most temperatures are rising.  
 $\text{most}(\lambda u.C(u))(\lambda u.\text{rise}_{(w,t)}(\lambda(w,t).\iota v[\text{temperature}_{(w,t)}(u)(v)]))$   
*(for most contextually given objects  $u$ , the function constituted by the intension of being  $u$ 's unique temperature is rising)*

*caveat*: proportion problem for non-classical quantification over implicit arguments (proposed by Löbner (1985))

- (34) a. Every mother loves her child.  
 b. Every child's mother loves him.
- (35) a. Most mothers love their children.  
 b. Most children's mothers love them.
- (36) a. Most temperatures are rising.  
 b. Most objects are such that their temperatures are rising.

we should be able to test it for temperatures, too

- (37) a. *mother*( $x,y$ ): not injective  
 b. *temperature*( $x,y$ ): (i) value reading: not injective;  
 (ii) function-reading derived as  $\lambda(w,t).\iota v[\text{temperature}_{(w,t)}(u)(v)]$ :  
 not injective if two objects can have the same temperature at all worlds and times

hard to decide: would we then want to count objects or temperature functions? (political functions,... that are the same across world/time - two names for one thing) - this analysis: counts them twice

problem: overgeneration - *every* quantifying over implicit arguments cannot be used for properly relational nouns: (more than one senator per state/photograph per object does not lead to a presupposition failure for (38a))

- (38) a. Every senator was late.  
 b. Three photographs were given to the press.

wanted here: existential quantification (turning relational into sortal nouns)

- (39) a. Every person  $x$ , such that there is a state  $y$  and  $x$  is senator from  $y$ , was late.  
 b. Three  $x$  such that there is an object  $y$  and  $x$  is a photograph of  $y$  were given to the press.

### 2.1.3 Problem: Two Types of Properly Relational Nouns

- not all nouns in subject position of *rise* are functional

Funktionenbündel (*bundle of functions*, cf. Löbner 1979)

- (40) a. One value (*of patient Smith*) is rising.  
 b. Two of his critical values are rising.

- naive extension of quantification over implicit arguments predicts presupposition failure for these cases.

(41) Three critical values are rising.

$$(42) \quad \mathbf{three}_{RN} \equiv \lambda P_{\langle s, \langle e, \langle e, t \rangle \rangle} \lambda Q_{\langle \langle \langle s, e \rangle, t \rangle \rangle} \cdot \mathbf{card}(\{u \mid Q(\lambda(w, t) \cdot \iota v [P_{(w, t)}(u)(v)])\}) = \mathbf{3}$$

(i) we do not want to count patients (we are talking about one patient only, Smith), and (ii) there is no unique critical value (presupposition failure)

wanted: use different roles (e.g. Smith's critical values can be distinguished as being his (unique) *blood pressure*, his (unique) *body temperature*, his (unique) *concentration of cholesterol*); also: *ministers* - their resorts,...

$$(43) \quad \mathbf{card}(\{f \in \{\lambda(w, t) \cdot \iota u [\mathbf{critical-value}(\mathbf{smith})_{(w, t)}(u) \ \& \ P(\mathbf{smith})(u) \mid P \in \{\mathbf{bl-press}, \mathbf{conc-chol}, \mathbf{temperature}\} \mid \mathbf{rise}(f)\}]\}) = \mathbf{3}$$

### Sets without roles

(44) Three bodyguards (*of Arnold*) have changed.

- *temperatures*: plurality of functions that could be distinguished via implicit argument (e.g. *cities*)  
*critical values/bodyguards*: plurality of functions (but: *bodyguards*?! ) which cannot be distinguished by their implicit arguments, since there is only one (*patient Smith/Arnold*)
- sets of objects that come without particular roles: e.g. *bodyguards*, *members of the jury*, *senators*,...
- *bodyguards* also cannot be construed w.r.t. an implicit argument as functions from an index to a unique individual (derived  $\langle s, e \rangle$ ) (vs. *temperature*, *mayor*, cannot be narrowed down thanks to a special role w.r.t one and the same implicit argument either (vs. *critical value*)

### 2.1.4 Two Tasks Open

1. account for quantification with functional and properly relational nouns (*critical values*, *bodyguards*,...)

2. Nathan’s (2005) puzzle (cf. also Romero 2006a):

overall change of the set required in (45a) (**set change**); swapping (change ‘within the set’) is sufficient (45b) (**pointwise change**)

- (45) a. The pictures on Jordan’s wall have changed.  
b. The governors have changed.

- Nathan (2006)/Romero (2006a): “relational/non-relational”

- (46) a. Three bodyguards (of Arnold) have changed.  
b. Three governors have changed.

both are relational; rather: difference in how easily a “role” reading is available (instead of an “occupant” reading)

- Romero (2006b) proposes a solution for definite descriptions:

derive individual concepts at two levels: extension of *governor* (= a set of individual concepts), intension of the plural individual picked out by *the pictures on the wall* ( $\langle s, \oplus e \rangle$ )

notes: does not carry over to quantificational cases

- (47) Most pictures on Jordan’s wall changed.

### 3 Quantification Under Cover

- suggestion Ede Zimmermann (p.c.): quantification proceeds under cover
- nouns denote sets of individuals (like Lasersohn 2005) - individual concepts come in because we have to individuate them somehow
- Aloni (2000): quantification, questioning and belief attribution proceed with respect to methods of identification

modelled as conceptual covers (over the domain of individuals) (*here*: plus temporality):

- (48) Given a set of indices  $(W \times T)$  and a universe of individuals  $D$ , a conceptual cover  $CC$  based on  $(W \times T, D)$  is a set of functions  $(W \times T) \rightarrow D$  such that:  
 $(\forall (w, t) \in W \times T)(\forall d \in D)(\exists! c \in CC)[c((w, t)) = d]$

a CC: a set of individual concepts obeying two restrictions: (i) all individuals are picked out (**existence**) at all indices, and (ii) at each index, each individual is picked out by only one individual concept (**uniqueness**)

- which cover is salient depends on the contextual perspective:

- (49) Who was president of Mali in 2000?
- a. Him! (pointing at someone) (at a cocktail reception)
- b. Alpha Oumar Konaré. (at a history exam)

assume  $K =$  set of proper names in  $L$ :

- (50) a.  $RC = \{\lambda(w, t).d \mid d \in D\}$  (rigid cover, used in pointing)
- b.  $NC = \{\lambda(w, t).a(w, t) \mid a \in K\}$  (naming)

what counts as a legitimate answer depends on the salient perspective: if RC is salient, (49a) is felicitous, if NC is salient, (49b) is.

- claim:

- quantification proceeds under cover
- the difference between *bodyguards* and *mayors* depends on the different perspectives (covers) they render salient

- to capture **change**: an individual concept is undefined at the very point of change

$D$  contains the absurd individual  $\star$  (ignored by the cover condition *uniqueness*;  $\lambda(w, t).lx[x \neq x]$  may be part of any cover and is a constant function to  $\star$ )

- (51)  $\llbracket \text{change} \rrbracket(w, t)(f) = 1$  iff  $f(w, t) = \star$ , and  
 $f(w, t^-) \neq f(w, t^+)$ , where  $t^- <^! t <^! t^+$ .  
 (<^! the relation of immediate precedence)

If the denotation of a common noun  $\alpha$  (type  $\langle s, \langle e, t \rangle \rangle$ ) changes at  $(w, t)$ ,  $\star$  is element of  $\alpha(w, t)$ .

- pointwise application of a set of functions  $F = \{f_1, \dots, f_n\}$ :

- (52)  $F[w, t] := \{f_i(w, t) \mid f_i \in F\}$

- determiners of “generalized quantifiers under cover”:

- (53)  $\llbracket \mathbf{most/every/three/...} \rrbracket^\Pi(w, t)(Q_{\langle s, \langle e, t \rangle \rangle})(P_{\langle \langle s, e \rangle, t \rangle}) = 1$  iff  
 for every  $F \in \Pi$  and  $F_1 = \{f_1, \dots, f_n\} \subseteq F$  such that either  
 (i) for all  $f_i \in F_1$ :  $f_i(w, t) \neq \star$  and  $F_1[w, t] = Q(w, t)$ , or  
 (ii)  $F_1[w, t^-] = Q(w, t^-)$  and  $F_1[w, t^+] = Q(w, t^+)$  :  
 MOST/EVERY/3/...  $(\lambda f.f \in F_1)(\lambda f.P(f))$
- (54)  $\llbracket \mathbf{three} \rrbracket^\Pi(w, t)(Q_{\langle s, \langle e, t \rangle \rangle})(P_{\langle \langle s, e \rangle, t \rangle}) = 1$  iff  
 for every  $F \in \Pi$  and  $F_1 = \{f_1, \dots, f_n\} \subseteq F$  such that either  
 (i) for all  $f_i \in F_1$ :  $f_i(w, t) \neq \star$  and  $F_1[w, t] = Q(w, t)$ , or  
 (ii)  $F_1[w, t^-] = Q(w, t^-)$  and  $F_1[w, t^+] = Q(w, t^+)$  :  
 $|\{f_i \in F_1 \mid P(f_i)\}| \geq 3$

### 3.1 Nathan's Puzzle in Terms of Types of Covers: *Bodyguards*

- *bodyguards, pictures on the wall*:

- (55)  $\llbracket \mathbf{three}(\lambda(w, t).\mathbf{bodyguards}_{(w, t)})(\mathbf{change}_{(w, t)}) \rrbracket^\Pi = 1$  iff  
 for every  $F \in \Pi$  and  $F_1 = \{f_1, \dots, f_n\} \subseteq F$  such that either  
 (i) for all  $f_i \in F_1$ :  $f_i((w, t)) \neq \star$  and  
 $F_1[w, t] = \llbracket \mathbf{bodyguard} \rrbracket^\Pi(w, t)$ , or  
 (ii)  $F_1[w, t^-] = \llbracket \mathbf{bodyguard} \rrbracket^\Pi(w, t^-)$  and  
 $F_1[w, t^+] = \llbracket \mathbf{bodyguard} \rrbracket^\Pi(w, t^+)$  :  
 $|\{f_i \in F_1 \mid f_i(w, t^-) \neq f_i(w, t^+)\}| \geq 3$

- assume:

- (56)  $\llbracket \mathbf{bodyguard} \rrbracket^\Pi(w, t^-) = \{john, peter, mary, sally\}$   
 $\llbracket \mathbf{bodyguard} \rrbracket^\Pi(w, t) = \{sally, \star\}$   
 $\llbracket \mathbf{bodyguard} \rrbracket^\Pi(w, t^+) = \{simon, susi, sandro, sally\}$

- *bodyguards/pictures on the wall*: perceived as a set of individuals - most salient cover is naming or rigid cover (pointing)
- the set of bodyguards contains  $\star$  at  $(w, t)$ , hence: (i) is inapplicable, check clause (ii) cover  $NC = \{\lambda(w, t).john_{(w, t)}, \lambda(w, t).john_{(w, t)}, \lambda(w, t).john_{(w, t)}, \dots\}$  does not contain a subset  $F_1$  that describes the bodyguards at both  $(w, t^-)$  and  $(w, t^+)$
- Principle of Cooperative Identification

- (57) If  $\Pi$  contains no cover that passes condition (i) or (ii), switch to  $\Pi'$  containing less salient covers (may be arbitrary).

(Special case of INFORMATIVITY; cf Aloni (2005) for pragmatic principles in bi-directional OT on what covers are considered.)

Then, all versions of arbitrary aligning the individuals are equally likely - supervaluation over all ways to describe the set of bodyguards before/after the change by 4 individual concepts (=  $\Pi'$ ).

- If less than 3 set elements change, the bodyguards can also be covered by  $F$  where less than 3 individual concepts  $f_i$  are such that  $f(w, t^-) \neq f(w, t^+)$ .  $\Pi'$  cannot ignore the corresponding covers.  $\Rightarrow$  **Set Change**-interpretation results.

### 3.2 Nathan's Puzzle in Terms of Covers: *Mayors*

- *mayors* (functional noun): render salient more interesting covers  
effect: set is irrelevant, as long as there is pointwise change
- mayors render salient: naming NC or job-cover JC  
NC =  $\{\lambda(w, t).wolfgang(w, t), \lambda.petra(w, t), \dots\}$   
JC =  $\{\lambda(w, t).uu[mayor-of-frankfurt_{(w,t)}(u)], \lambda(w, t).uu[mayor-of-stuttgart_{(w,t)}(u)], \dots\}$
- scenario: Wolfgang and Petra exchange their cities at  $(w, t)$

(58)  $\llbracket$ Two mayors changed. $\rrbracket^\Pi(w, t)$  is true if  $\Pi = \{JC\}$  (*pointwise change*), false if  $\Pi = \{NC\}$  (would require *set change* - there is no set change)  
(*two of the individual concepts needed to cover the mayors at  $(w, t^-)$  and  $(w, t^+)$  change at  $(w, t)$* )

	NC		JC	
	<i>Wolfgang</i>	<i>Petra</i>	<i>mayor Frankfurt</i>	<i>mayor Stuttgart</i>
$(w, t^-)$	w	p	p	w
$(w, t)$	(w)	(p)	★	★
$(w, t^+)$	w	p	w	p

### 3.3 Pragmatic Solution

- pragmatic solution: interpretation depends on the perspective taken on the individuals in the context
- Do we really want a pragmatic solution to the temperature paradox?

(59) The temperature is rising.

first: requires saturating the free variable

(60) *temperature*  $\mapsto$  *temperature of contextually salient location*

(61)  $\llbracket \mathbf{the} \rrbracket^{\Pi}(w, t)(\mathbf{temperature}_{\langle s, \langle e, t \rangle \rangle})(\mathbf{rise}_{\langle s, \langle \langle s, e \rangle, t \rangle \rangle}) = 1$  iff  
 for every  $F \in \Pi$  and  $F_1 = \{f_1, \dots, f_n\} \subseteq F$  such that either  
 (i) for all  $f_i \in F_1$ :  $f_i(w, t) \neq \star$  and  
 $F_1[w, t] = \llbracket \mathbf{temperature} \rrbracket^{\Pi}(w, t)$ , or  
 (ii)  $F_1[w, t^-] = \llbracket \mathbf{temperature} \rrbracket^{\Pi}(w, t^-)$  and  
 $F_1[w, t^+] = \llbracket \mathbf{temperature} \rrbracket^{\Pi}(w, t^+)$  :  
 $|F_1| = 1$  and  $\forall f_i \in F_1 : f_i(w, t) \in \llbracket \mathbf{rise} \rrbracket^{\Pi}(w, t)$ .

but why can't we then hear (62) as saying that the temperature of Frankfurt is rising, given that the temperature of Frankfurt is 90?

(62) Ninety is rising.

anaphoric dependence/definite article required (cf. (66b))

### 3.4 Two Issues in Favor of Context Dependence

- context dependence observed for

(63) Most pictures on Jordan's wall have changed.

(64) Three pictures on Jordan's wall have changed.

a. *pictures by who is on them*  $\rightarrow$  SC-interpretation

b. *the picture on the left wall, the picture closest to the window,...*  $\rightarrow$  PC-interpretation

- intensional readings for name-like DPs:

(65) In Edes Büro hat's schon 34 Grad, und \*(die) 34 Grad  
 In Ede's office it-has already 34 degrees, and the 34 degrees  
 werden wohl noch mehr werden.

will PRT still more get

'The temperature in Ede's office is already 34 degrees, and I think it's going to get even warmer.'

(66) a. The temperature in Ede's office is already 34 degrees and I think \*(the) 34 degrees will certainly increase.  
 b. ...that 34 degrees is going up by mid-afternoon.

*the* requires individuation by individual concept; the abstract degree individual has been introduced as *the temperature in my office* (again, the naming cover containing  $\lambda wt.34C((w, t))$  would not pass the restrictor, enforcing switch to  $\Pi'$ )

- Try a principle **CC salience**:

(67) If the intension of a DP is a part of a (plausible) cover, that cover is among the maximally salient ones.

- it seems: sometimes, the denotation of the DP has to be ignored:

(68) The lowest temperature is rising.

- $R_{city}$ : the temperature which is lowest right now is rising (it might not be the lowest anymore tomorrow)
- $R_{ranking}$ : each day, the temperature of different objects is taken; the lowest value measured is increasing from day to day

- the readings are independent:

obviously,  $R_{city} \not\equiv R_{ranking}$

but:  $R_{ranking} \not\equiv R_{city}$  (the temperatures measured on the different occasions may come from different cities)

- reminiscent of Heim's (1979) example:

(69) John knows the price Fred knows.

- Reading A: John and Fred can answer the same price-question
- Reading B: John knows which price question Fred can answer

Cf. Romero (2005) for a solution in terms of knowing extension/intension of *the unique price individual concept  $x$  such that Fred knows  $x$* .

## 4 Temperatures & Prices as Abstract Individuals?

- so far, we have understood temperatures/prices as abstract value individuals (numbers on scales) (to be individuated under cover)

a closer look at (68) shows that this cannot be right:

sometimes, we seem to consider concrete realisations of such abstract value-individuals, sometimes, we consider abstract value individuals



in the framework proposed above, the perspective seems to determine how we interpret temperature - this can't be right!

- scenario: at  $t_1, t_2, t_3$ , we take the temperatures of *Frankfurt, Amsterdam* and *New York*

(70) The lowest temperature is rising.

- problem arises if two temperatures are equally low and no other temperature is lower:

$R_{city}$  counts them twice (“temperatures as concrete instantiations”) - presupposition failure.

$R_{ranking}$  counts them only once (“temperatures as abstract value individuals”) - fine.

- *idea*: derive temperature functions by typeshifts using the location(“city”)-argument? (cf. Schwager (2006))

but: resulting temperature-functions need not be of the form “temperature of a location”

e.g.  $R_{time}$ : {*the temperature of Boston at 8am, the temperature of Boston at 2pm, the temperature of Boston at 8am*} (each taken on three occasions)  
- still: count them twice!

- go back to Montague’s **temperatures** as  $\langle s, \langle \langle s, e \rangle, t \rangle \rangle$ ? (plus Meaning Postulate) for  $R_{city}$ ,  $R_{time}$ , and Lasersohn-style intensions of definite descriptions for  $R_{ranking}$ ?

would have to constrain what are admissible “contextually salient” sets of temperatures to quantify over:

(71) Most temperatures are rising.

what are temperatures and what are “derived” temperatures?

- functional nouns with concrete values do not seem show this dependence (e.g. *mayors*)

(72) Der dickste Bürgermeister wird ausgetauscht.  
the fattest mayor gets exchanged

- if two are equally fat, and no-one is fatter - presupposition failure under both readings.

## 5 Conclusions & To Do-List

- nouns like *mayor, temperature* can be understood as referring to the (actual) value or to an entire function
- Lasersohn (2005) captures this by using extension or intension of the  $\iota$ -ized expression (deriving non-lexical individual concepts)
- quantificational examples seem problematic at first sight, for some cases (functional nouns), quantification over implicit arguments proves helpful
- Funktionenbündel (*critical values*) and Sets without Roles (*bodyguards*) motivate quantification under covers (individual concepts as part of contextual perspectives!)
- virtues of quantification under conceptual covers:
  - possible to account for quantification over sets without roles in intensional subject positions
  - accounts more naturally for *funktionenbündel* in intensional subject positions
  - explanation for the different interpretation of *change* with *bodyguards* vs. *mayors*  
and fits speaker intuitions of high context dependence of this phenomenon
  - surprising intensional readings for rigid DPs can be captured (*the/that 34 degrees*)
- the approach does not carry over straightforwardly to functional nouns with abstract values (*temperatures, prices*)
- To Do:
  - what determines which cover is salient? (starting point Aloni (2000): bi-directional OT)
  - find out more about nouns with abstract values  
decide: pragmatic solution for all cases?
  - distinguish only modally/only temporally intensional predicates?
  - look at concealed questions

## References

- Aloni, M. (2000). *Quantification under Conceptual Covers*. Amsterdam: ILLC.
- Aloni, M. (2005). A formal treatment of the pragmatics of questions and attitudes. *Linguistics and Philosophy* 28, 505–539.
- Asudeh, A. (2005). Relational nouns, pronouns, and resumption. *Linguistics and Philosophy* 28, 375–446.
- Condoravdi, C. and M. Gawron (1996). The context dependency of implicit arguments. In M. Kanazawa, C. Piñon, and H. de Swart (Eds.), *Quantifiers, Deduction, and Context*, pp. 1–32. Stanford, California: CSLI.
- Cresswell, M. (1996). *Semantic Indexicality*. Dordrecht: Kluwer.
- Dowty, D. R., R. E. Wall, and S. Peters (1981). *Introduction to Montague Semantics*. Dordrecht: Reidel.
- Heim, I. (1979). Concealed questions. In R. Bäuerle, U. Egli, and A. von Stechow (Eds.), *Semantics from Different Points of View*, pp. 51–60. Berlin: Springer.
- Janssen, T. (1984). Individual concepts are useful. In F. Landman and F. Veltman (Eds.), *Varieties of Formal Semantics*, pp. 171–192. Dordrecht: Foris.
- Lasersohn, P. (2005). The temperature paradox as evidence for a presuppositional analysis of definite descriptions. *Linguistic Inquiry* 36, 127–144.
- Löbner, S. (1979). *Intensionale Verben und Funktionalbegriffe*. Tübingen: Narr.
- Löbner, S. (1981). Intensional verbs and functional concepts: more on the ‘rising temperature’ problem. *Linguistics Inquiry* 12, 471–477.
- Löbner, S. (1985). Definites. *Journal of Semantics* 4, 279–326.
- Montague, R. (1974). The proper treatment of quantification in English. In *Formal Philosophy. Selected Papers of Richard Montague*. (Herausgegeben und mit einer Einführung von R. H. Thomason. ed.), pp. 247–270. New Haven/London: Yale University Press.
- Nathan, L. (2005). On the interpretation of concealed questions. Doctoral Dissertation (draft), MIT.
- Nathan, L. (2006). *On the Interpretation of Concealed Questions*. Ph. D. thesis, MIT.
- Partee, B. (1989). Binding implicit variables in quantified contexts. *Papers of the Chicago Linguistics Society* 25, 342–365.
- Romero, M. (2005). Concealed questions. *Linguistics and Philosophy* 28, 687–737.
- Romero, M. (2006a). Some paradoxes about individual concepts. Invited talk at *Sinn und Bedeutung*, September 21-23, 2006, Barcelona.

- Romero, M. (2006b). Some syllogisms about individual concepts. Talk at UMass, October 6, 2006, Barcelona.
- Schwager, M. (2006). The topic has changed: On functional concepts. Talk at Semantiknetzwerktreffen VI, Barcelona, September 19-20.
- Zimmermann, T. E. (1999). Meaning postulates and the model-theoretic approach to natural language semantics. *Linguistics and Philosophy* 22, 529–561.